

Release Dependence to a Paired Stimulus at a Synaptic Release Site with a Small Variable Pool of Immediately Releasable Vesicles

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Monte Carlo simulations were performed on a release model based on experimental data from single glutamatergic synapses containing a single release site in the hippocampal CA1 region of the neonatal rat. These simulations explored what can be learned about the release process by examining how the release probability in response to the second stimulus (P_2) of a paired stimulus to a synapse depends on the release in response to the first stimulus. Comparisons between experimental data from a number of individual synapses and the simulated

data support the notion that the immediately releasable vesicle pool is small (approximately one) and shows substantial intertrial variation. The simulations also show that the release dependence of P_2 is not necessarily an indicator of either intertrial variation in Ca^{2+} influx, feedback effects of released transmitter, or activation failure of the axon.

Key words: paired-pulse; release probability; hippocampus; CA1; synaptic plasticity; development

The physiology of the release process of a synapse is still understood primarily in terms of number of release sites and release probabilities at these sites. However, linking the molecular biology of the release machinery to the physiology of release will require an understanding of what determines release probability at a single release site. In a recent examination of neonatal rat hippocampal synapses containing a single release site (Hanse and Gustafsson, 2001b), release was described in terms of intrarelease site parameters, such as vesicle release probability, number of immediately releasable vesicles, and vesicle recruitment (Hanse and Gustafsson, 2001a,c,d). This description indicates that a small number (which fluctuated from trial to trial) of immediately releasable vesicles (usually fewer than three) independently, and with the same probability, contribute to the release of at most one vesicle at a time. Such characteristics should have consequences for the serial dependency of release: for example, in what manner release in response to the first stimulus of a paired stimulus affects the release probability to the second stimulus (P_2). Such a test has been used to detect whether release failure to the first stimulus is present because of the stochastic nature of the release process itself or because of failure to activate the axon/synaptic bouton (Stevens and Wang, 1995; Isaac et al., 1996; Hanse and Gustafsson, 2001b). That is, if P_2 depends on whether or not there is release failure in response to the first stimulus, then this release failure should be attributable to activation failure.

Although the above may be true, for example, if the number of immediately releasable vesicles at a single site is large (Dobrunz and Stevens, 1997), it would not be expected to occur if that number is small. This is because a small pool of such vesicles would be greatly depleted by a release to the first stimulus causing

release-dependent effects on P_2 even in the absence of activation failure. Release dependence may also arise if presynaptic calcium influx varies between stimulus trials, thereby linking release to the first stimulus to facilitation of release to the second one (Chen et al., 1996; Dobrunz et al., 1997). Moreover, multivesicular release from a single site or heterogeneity in release probability among the vesicles within a site might also have consequences for the release dependence of P_2 .

Considering the possibilities for release dependence of P_2 in the absence of activation failure, it may seem surprising that no such dependence was observed (Stevens and Wang, 1995; Isaac et al., 1996; Hjelmstad et al., 1997; Hanse and Gustafsson, 2001b). This raises the question of in what manner and to what extent the above-mentioned factors actually affect the release dependence; in other words, to what extent an examination of the release dependence of P_2 may serve to discriminate between different models of presynaptic release. To answer such questions, we performed Monte Carlo simulations of release from a model single release site. We also compared these simulated results with those from experimental data on release from single glutamatergic hippocampal synapses of neonatal rats.

MATERIALS AND METHODS

The experimental data used in the present study were obtained in a manner that has been described previously in detail (Hanse and Gustafsson, 2001b). In brief, whole-cell patch-clamp recordings were performed from visually identified CA1 pyramidal cells in hippocampal slices prepared from 1- to 7-d-old Wistar rats. Afferents in the stratum radiatum were activated (10 impulses; 50 Hz) using minimal extracellular stimulation (Konnerth et al., 1990; Raastad et al., 1992; Allen and Stevens, 1994). Several findings suggested that this minimal stimulation consistently resulted in the activation of a single axon contributing a single synapse to the cell that was recorded from, with this synapse containing a single release site (Hanse and Gustafsson, 2001b). To what extent such a single site releases at most one or several vesicles at a time is a matter of debate (Auger and Marty, 2000). Two lines of experimental findings support the single-vesicle constraint at glutamatergic synapses: first, that release is accompanied by a refractoriness of release (Stevens and Wang, 1995; Dobrunz et al., 1997; Hjelmstad et al., 1997), and second, that EPSC size, excluding failures, is independent of release probability (Stevens and Wang, 1995; Dobrunz and Stevens, 1997; Hjelmstad et al., 1997; Hanse and Gustafsson, 2001b). This latter evidence presupposes a

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low degree of postsynaptic receptor occupancy, allowing for the detection of more than one simultaneously released vesicle. Experimental support for such a low degree of occupancy has been published recently (Liu et al., 1999; McAllister and Stevens, 2000; Barbour, 2001; Hanse and Gustafsson, 2001b).

Release model. In our standard release model, release probability (P_r) at a single release site is determined by the number of release-ready, or primed, vesicles (n_{pool}) and the probability of release of each one of these vesicles (P_{ves}). These primed vesicles operate independently and with the same P_{ves} value to produce release of a single vesicle:

$$P_r = 1 - (1 - P_{\text{ves}})^{n_{\text{pool}}}$$

Because this equation describes release probability as 1 minus the probability that no release occurs, it allows for multivesicular release. However, whether the release is univesicular or multivesicular is naturally of consequence for the rate of depletion of the pool. On the basis of our finding that EPSC size, excluding failures, in these synapses is independent of release probability in a given synapse (Hanse and Gustafsson, 2001b) and the notion of a low degree of postsynaptic receptor occupancy (see above), our standard release model will contain the single-vesicle constraint. However, in our simulations, we will also explore the consequences of relaxing this constraint, allowing for multivesicular release.

An experimental analysis of release from single synapses allowed us to estimate P_{ves} and n_{pool} for a number of synapses (Hanse and Gustafsson, 2001c). P_{ves} for release given by the first stimulus ($P_{\text{ves}1}$) was found to vary among the synapses from <0.1 to almost 1.0. Conversely, P_{ves} for release given by the second stimulus ($P_{\text{ves}2}$) varied less, ~ 0.2 – 0.5 (Hanse and Gustafsson, 2001a). The average number of vesicles immediately available for release at the initiation of the stimulus train, here referred to as the preprimed pool, was found to vary among the synapses from ~ 0.5 to 2.0. Additional analysis suggested that this pool varied between trials in a binomial manner (Hanse and Gustafsson, 2001d).

A key feature in our release model is that the number of immediately releasable vesicles is determined by docked vesicles in equilibrium between a primed and a nonprimed state (Fig. 1A) (Matveev and Wang, 2000; Hanse and Gustafsson, 2001d). Thus, the number of vesicles in the preprimed pool will vary between trials in a binomial manner (Fig. 1B). To obtain preprimed pool sizes in the model in agreement with the experimentally estimated ones, the number of docking sites was varied from 2 to 6, and the probability of the primed state was set to 0.3. On the basis of the experimentally estimated values, $P_{\text{ves}1}$ was allowed to vary between 0.1 and 0.9 in the simulations, and $P_{\text{ves}2}$ was set to a fixed value of 0.4 (Hanse and Gustafsson, 2001a). The Monte Carlo simulations were performed using custom software written in Igor Pro (Wavemetrics, Lake Oswego, OR). Simulations were performed such that before each simulated paired stimulus (trial), the number of preprimed vesicles was determined by comparing a random number (evenly distributed between 0 and 1) with the preset value of priming probability for each docking site. If the random number was smaller than that value, the vesicle was considered to be primed. To determine whether release occurred in the response to the first stimulus, a random number (as above) was compared with the preset $P_{\text{ves}1}$ for primed vesicles. If the random number was smaller than that value, release occurred, and the preprimed pool was reduced by 1 (under single-vesicle constraints). Conversely, if it was larger than that value, the next (if any) preprimed vesicle was tested. When a release occurred in response to the first stimulus, or if all preprimed vesicles were tested without any one vesicle being released, the occurrence of release in response to the second stimulus was tested by comparing a random number with $P_{\text{ves}2}$ for each remaining preprimed vesicle. Unless otherwise stated, the number of trials per measurement was 10,000.

These calculations assume that only preprimed vesicles are released in response to the first two stimuli (i.e., that there is no priming of docked vesicles during a 20 msec interstimulus interval). This assumption is compatible with our previous analysis of experimental data, indicating that most of the release during the first four to five stimuli in a 50 Hz stimulus train comes from the preprimed pool (Hanse and Gustafsson, 2001c).

RESULTS

Experiments on single glutamatergic CA1 hippocampal synapses in the neonatal rat have indicated that the immediately releasable vesicle pool (preprimed pool, see Materials and Methods) for a release site is small, on average approximately one (Hanse and

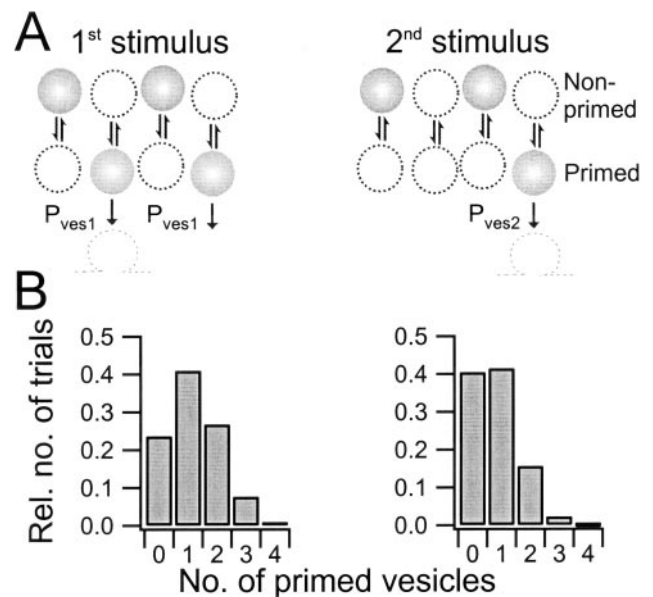


Figure 1. Model for a dynamic pool of primed vesicles at a release site. *A*, Schematic of a model release site at the first (*left*) and at the second (*right*) stimuli during a paired-pulse protocol. Within the release site, there are docking sites (four in the illustrated example) at which vesicles are in equilibrium between a primed (immediately releasable) and a nonprimed state. When an action potential arrives, at most one of the primed vesicles can be released. The probability of releasing a primed vesicle is P_{ves} , $P_{\text{ves}1}$ at the first stimulus, and $P_{\text{ves}2}$ at the second stimulus. The P_r of the release site is given by Equation 1 (see Materials and Methods). It is assumed that the recruitment of nonprimed vesicles to a primed state is negligible between the two stimuli (20 msec) (Hanse and Gustafsson, 2001a). *B*, Distribution of the number of primed vesicles among trials before the first stimulus (preprimed vesicles, *left*) and before the second stimulus (*right*). The distribution is calculated from four docking sites and a probability of the primed state of 0.3.

Gustafsson, 2001c). If so, one may expect that the P_r to a second stimulus (P_2) will depend on release to the first stimulus in a stimulus pair even when there are no activation failures, because of vesicle depletion. We therefore first simulated release using a preprimed pool of 1.2 (on average), letting vesicle release probability during the first ($P_{\text{ves}1}$) and second ($P_{\text{ves}2}$) stimuli have the same value (0.4). The P_2 values when release occurred in response to the first stimulus ($P_{2\text{rel}}$) and when it did not ($P_{2\text{fail}}$) were subsequently computed. Such a simulation did not demonstrate any release dependence of P_2 on release to the first stimulus, with the ratio $P_{2\text{rel}}/P_{2\text{fail}}$ being close to 1 (1.03). This lack of the “expected” depletion effect may be explained by the fact that the simulated preprimed pool, in agreement with our interpretation of the experimental data, is not constant trial for trial but has a binomially distributed trial-to-trial variation in size (Fig. 1B). Trials with a larger preprimed pool size are more likely to release in response to the first stimulus than trials with smaller (or zero) pool size. The preprimed pool remaining after both release and failure to the first stimulus may then be much the same, as also indicated by Figure 2A (*insets*).

To examine the reliability of an experimentally estimated $P_{2\text{rel}}/P_{2\text{fail}}$ ratio, the above simulation was repeated 100 times (100 runs), using a smaller number of simulated trials than used above (10,000). The ratio estimated at each run when only 100 trials were used varied considerably, from ~ 0.5 to 1.5 (Fig. 2A). Figure 2B shows the coefficient of variation (CV) plotted against the number of trials per run, indicating a CV value of ~ 0.4 (filled

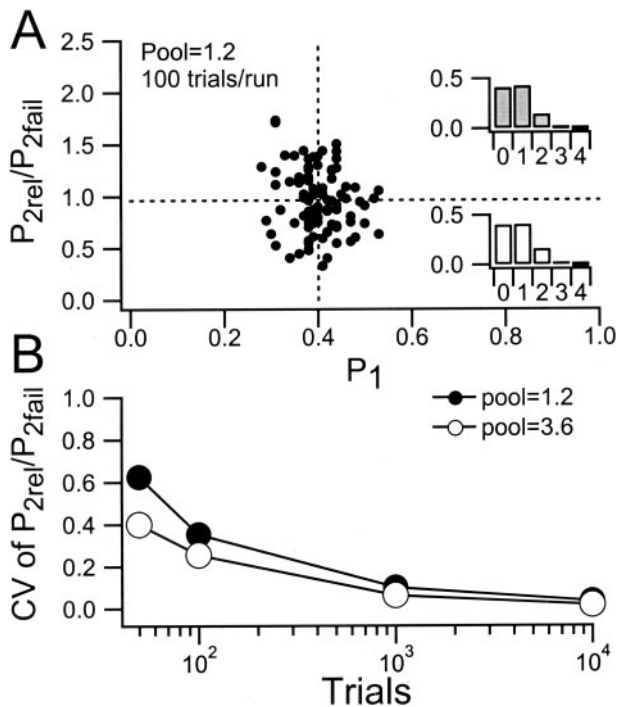


Figure 2. Lack of release dependence during paired-pulse activation. *A*, P_2 in response to the second stimulus (P_2) when release occurred in response to the first stimulus (P_{2rel}) is divided by that obtained when there was a release failure to the first stimulus (P_{2fail}). This P_{2rel}/P_{2fail} ratio is plotted against P_1 in response to the first stimulus (P_1). In the modeled example, the preprimed pool was 1.2, and both P_{ves1} and P_{ves2} were 0.4. Ratio values obtained from 100 runs, each consisting of 100 trials, are shown. The P_{2rel}/P_{2fail} ratio averaged 0.96 ± 0.35 (SD), and P_1 averaged 0.40 ± 0.05 . These average values are indicated by the dotted lines. Insets show the distribution of primed vesicles (compare Fig. 1*B*) before the second stimulus when the first stimulus resulted in a release (top histogram, filled bars) and when the first stimulus resulted in a failure (bottom histogram, open bars). *B*, Variation in P_{2rel}/P_{2fail} ratio as a function of the number of trials and of the size of the preprimed pool. The number of trials per run was varied between 50 and 10,000, and 100 runs were made for each trial length. Filled circles represent a pool of 1.2 and open circles represent a pool of 3.6.

circles). Even with 1000 trials per run, a notable CV is found (~ 0.10), and several thousand trials are needed to bring the CV to a value of <0.05 . An increase of the preprimed pool increased the reliability, but not much. For example, when an average pool three times larger (3.6; with a threefold reduction of P_{ves}) was used, 100 and 1000 trials gave CVs of ~ 0.25 and 0.05, respectively (Fig. 2*B*, open circles).

Influence of variation in P_{ves1} and preprimed pool size on the release dependence of P_2

To examine to what extent the above result was a consequence of the particular choice of P_{ves1} and preprimed pool values, the simulations were performed using the range of these values obtained from experimental data on the neonatal CA1 synapses. The P_{2rel}/P_{2fail} ratio was thus plotted against P_1 values obtained by varying P_{ves1} from 0.1 to 0.9 and the average preprimed pool from 0.6 to 1.8. This ratio was found to vary with P_1 and to be close to 1.0 only at intermediate values of P_1 (~ 0.4) (Fig. 3*A*). At lower values of P_1 , the P_{2rel}/P_{2fail} ratio is <1.0 , indicating that P_2 is less when release occurs in response to the first stimulus than when it does not. Conversely, when P_1 is larger, the ratio becomes substantially more than 1.0, indicating the opposite. It would thus

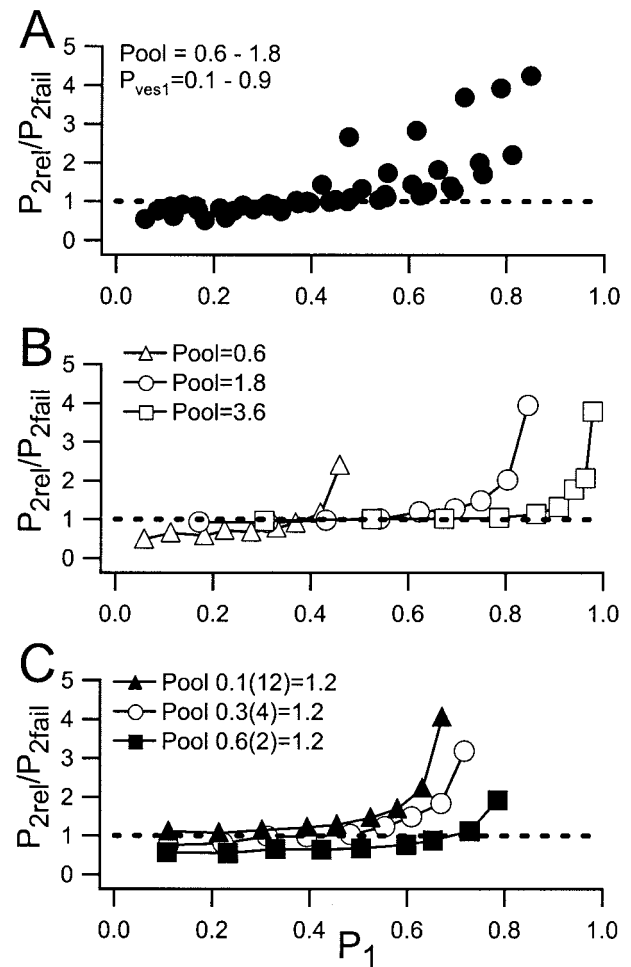


Figure 3. Influence of P_1 on the release dependence during paired-pulse activation. *A*, The P_{2rel}/P_{2fail} ratio is computed over a range of P_1 values obtained by varying P_{ves1} between 0.1 and 0.9 (in steps of 0.1) and the average preprimed pool between 0.6 and 1.8 (in steps of 0.3). P_{ves2} was kept constant at 0.4. The dashed line indicates release independence (i.e., a P_{2rel}/P_{2fail} ratio equal to 1). Each measurement was obtained from 10,000 trials. *B*, The P_{2rel}/P_{2fail} ratio is determined by P_{ves1} and the size of the preprimed pool. The P_{2rel}/P_{2fail} ratio is plotted against P_1 obtained using three different preprimed pool sizes: 0.6 (open triangles), 1.8 (open circles), and 3.6 (open squares). For each pool size, P_{ves1} was varied from 0.1 to 0.9 in steps of 0.1, and the P_{2rel}/P_{2fail} ratios obtained for the various P_{ves1} values using a given pool size are joined together. The dashed line indicates $P_{2rel}/P_{2fail} = 1$. *C*, The P_{2rel}/P_{2fail} ratio depends on the number of docked vesicles and their probability of occupancy of the primed state. The P_{2rel}/P_{2fail} ratio is plotted against P_1 , varying P_{ves1} from 0.1 to 0.9 in steps of 0.1. This is done for three different preprimed pool configurations, all producing an average preprimed pool of 1.2 vesicles. These configurations are 12 (filled triangles), 4 (open circles), and 2 (filled squares) docked vesicles combined with priming probabilities of 0.1, 0.3, and 0.6, respectively. The dashed line indicates $P_{2rel}/P_{2fail} = 1$.

appear that when P_1 is large, a smaller number of vesicles are available for release to the second stimulus when there is no release in response to the first stimulus than when there is a release. This perhaps paradoxical result can be explained by the trial-to-trial variation in the preprimed pool and by the fact that a larger P_1 is associated with a larger P_{ves1} , because when P_{ves1} is large, it is very probable that trials exhibiting release failure in response to the first stimulus are associated with a small number of (or zero) preprimed vesicles and subsequently also with release failure in response to the second stimulus. Conversely, a small P_1

is associated with a small P_{ves1} . Release failure in response to the first stimulus then depends more on the small P_{ves1} than on the size of the preprimed pool, and vesicle depletion will more critically affect P_2 . To substantiate this reasoning, the results of the simulation in Figure 3A are replotted in Figure 3B, using only those values that were obtained with the smallest (0.6) and largest (1.8) preprimed pool, together with simulation results using an even larger pool (3.6). Figure 3B shows that for any given pool size, the P_{2rel}/P_{2fail} ratio goes from <1.0 to >1.0 when P_{ves1} goes from a small to a large value. Moreover, when the pool becomes larger, the ratio becomes closer to 1.0 for any value of P_1 . In these simulations, P_{ves2} was set to a fixed value of 0.4 (Hanse and Gustafsson, 2001a). Variations of this parameter over a wide range (0.1–0.9) had only marginal effects on the P_{2rel}/P_{2fail} ratio (data not shown). This is because in the range of pool sizes used, pool size and P_{ves2} will act almost linearly to produce P_2 .

In the above simulations, a preprimed pool of 1.2 was set by four docked vesicles in equilibrium between a primed and a nonprimed state, with a probability of the primed state of 0.3. A smaller docked pool with a larger priming probability and vice versa could produce the same averaged value. Figure 3C shows simulations using 2, 4, and 12 docking sites to obtain an average preprimed pool of 1.2. The use of both the small (*filled squares*) and the large (*filled triangles*) number of sites created curves with larger deviation from a unity ratio (i.e., a larger degree of release dependence of P_2).

Influence of P_{ves} heterogeneity on the release dependence of P_2

The above-described simulations were all performed with the assumption that in any given run, P_{ves1} is the same between trials and P_{ves1} at each trial is equal for all the preprimed vesicles within a release site. For a synapse, the Ca^{2+} influx may vary between trials and thus cause a variation in P_{ves1} as well as (via residual Ca^{2+}) in P_{ves2} (Chen et al., 1996; Dobrunz et al., 1997). P_{ves2} would then be expected to be larger when P_{ves1} is larger, and a release dependence of P_2 would emerge. A variation in Ca^{2+} influx was simulated by a normal distribution (SD 0.2) around a mean P_{ves1} that was 0.2, 0.4, 0.6, or 0.8. The P_{ves1} value for each trial was thus determined by a stochastically drawn value, as exemplified in Figure 4A, *inset*, for the case of a mean P_{ves1} of 0.4. To account both for the effect of residual Ca^{2+} and for variation in Ca^{2+} influx to the second stimulus, the P_{ves2} value of 0.4 was adjusted by two stochastically drawn values for each trial. Residual Ca^{2+} was accounted for by letting P_{ves2} be adjusted by the same stochastically drawn value that helped to decide P_{ves1} for that trial. The variation in Ca^{2+} influx was accounted for by also adjusting P_{ves2} with a value stochastically drawn from the same normal distribution as used for P_{ves1} . Such simulations gave P_{2rel}/P_{2fail} ratios that were shifted to 30–40% higher values than those obtained in the absence of this form of heterogeneity, as illustrated in Figure 4A. That is, such a variation would produce substantial release dependence.

Vesicles within a release site may differ in their release probability (for example, one of them having a much larger P_{ves} than the others) (Matveev and Wang, 2000; Sakaba and Neher, 2001). P_2 would then vary depending on whether or not that specific vesicle was released in response to the first stimulus. Simulations were performed that allowed one of the docking sites to contain a primed vesicle with a high P_{ves} , if occupied. In the first case, this high P_{ves} (0.9) applied only to P_{ves1} , and the simulations were performed for three different pool sizes. The P_{ves1} for the other

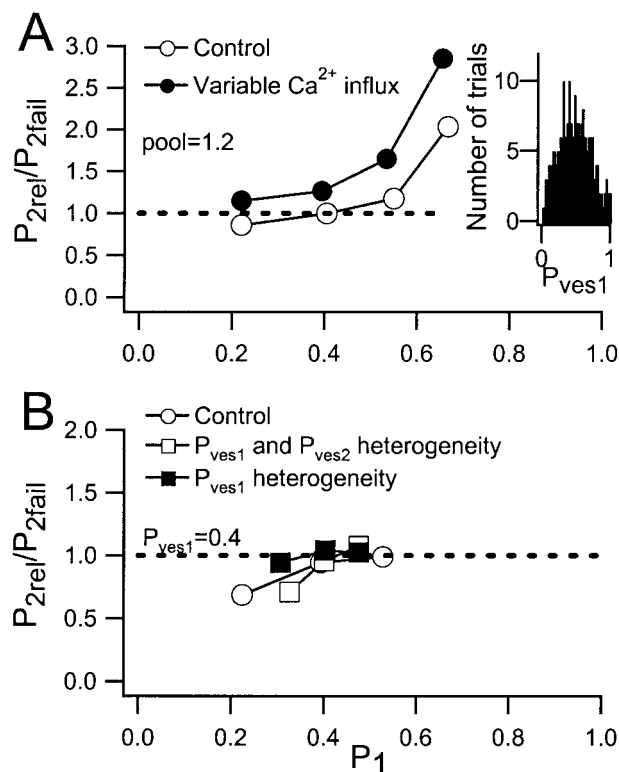


Figure 4. Influence of P_{ves} heterogeneity on the release dependence during paired-pulse activation. *A*, Effect of a stochastic variation in P_{ves1} and P_{ves2} on the release dependence of P_2 . The P_{2rel}/P_{2fail} ratio is plotted against P_1 for two different situations. *Open circles* represent the release dependence of P_2 in a control situation using four different values of P_{ves1} (0.2, 0.4, 0.6, and 0.8), and P_{ves2} was kept constant at 0.4. *Filled circles* represent the release dependence of P_2 when P_{ves1} and P_{ves2} were allowed to vary stochastically around these values, as described in Results. The *dashed line* indicates $P_{2rel}/P_{2fail} = 1$. *B*, Different docking sites are associated with different P_{ves} values. *Open circles* represent a control situation with P_{ves1} and P_{ves2} values of 0.4 at all the docking sites. *Filled squares* represent a situation in which one of the two to six docking sites was associated with a P_{ves1} of 0.9, whereas the other docking sites were associated with a P_{ves1} of 0.2. P_{ves2} was kept constant at 0.4 for all docking sites. *Open squares* represent a situation in which one of the two to six docking sites was associated with a P_{ves1} and P_{ves2} of 0.9, whereas the others were associated with a P_{ves1} and P_{ves2} of 0.2. The *dashed line* indicates $P_{2rel}/P_{2fail} = 1$.

vesicles was 0.2, and the P_{ves2} for all vesicles was 0.4. Figure 4B shows that this type of heterogeneity (*filled squares*) produces a relationship between the P_{2rel}/P_{2fail} ratio and P_1 that is close to that obtained by a homogeneous P_{ves1} of 0.4 (*open circles*). In the second case, the high- P_{ves} vesicle also had a P_{ves2} of 0.9, and the P_{ves2} for the others was 0.2. This heterogeneity also produced a relationship between the P_{2rel}/P_{2fail} ratio and P_1 (*open squares*) that was close to the homogeneous case. Thus, P_{ves} heterogeneity is not easily revealed by this test of release dependence.

Influence of activation failure and of multivesicular release on the release dependence of P_2

The test of release dependence was originally thought of as a means to detect activation failure (see the introductory remarks). An estimation of the effect of activation failure requires simplification of assumptions regarding activation failures in response to the first and second stimuli. Because it would seem that the method is based on the notion that activation failures in response to the second stimulus occur independently of those to the first

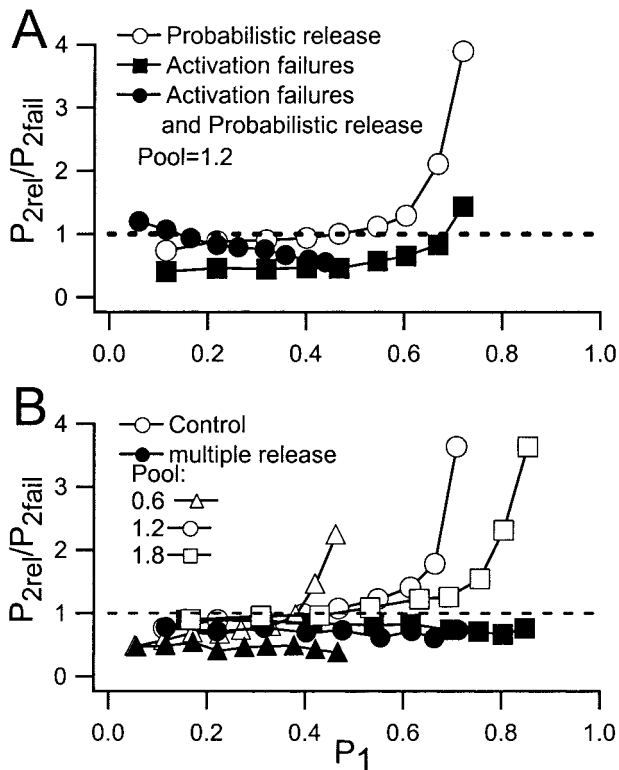


Figure 5. Influence of activation failure and multivesicular release on the release dependence during paired-pulse activation. *A*, The P_{2rel}/P_{2fail} ratio is plotted against P_1 for two different situations of activation failure. *Open circles* represent the release dependence of P_2 in a control situation with no activation failure (i.e., a “probabilistic release”). P_{ves1} is varied from 0.1 to 0.9, and the preprimed pool and P_{ves2} are kept constant at 1.2 and 0.4, respectively (compare Fig. 3*C*, *open circles*). *Filled circles* represent a situation in which 50% of the trials were associated with an activation failure (no release is allowed) in response to the first stimulus; in other words, activation failures occur on top of a probabilistic release. P_{ves1} , P_{ves2} , and pool were the same as in the control situation. *Filled squares* represent a situation in which P_1 is determined by activation failures only. In this situation, P_{ves1} was (per definition) equal to 1, and P_{ves2} (used only when there was activation and hence release in response to stimulus 1) was equal to 0.4. The pool size was 1.2. The *dashed line* indicates $P_{2rel}/P_{2fail} = 1$. *B*, The effect of allowing multiple release of vesicles on the P_{2rel}/P_{2fail} ratio. *Open symbols* represent the control situation, in which at most one vesicle per stimulus is released. P_{ves1} is varied from 0.1 to 0.9 for three different sizes of the preprimed pool (0.6, 1.2, and 3.6 as indicated). P_{ves2} is kept constant at 0.4. *Filled symbols* represent the corresponding results when there is no restriction on the number of vesicles that can be released per stimulus. The *dashed line* indicates $P_{2rel}/P_{2fail} = 1$.

stimulus, or not at all (Stevens and Wang, 1995), we have adopted this notion in the simulations below.

In Figure 5*A*, the relationship between P_1 and the P_{2rel}/P_{2fail} ratio obtained by varying P_{ves1} from 0.1 to 0.9 is plotted, but only for a single value of preprimed pool (1.2) (*open circles*). Also included in this graph are two different kinds of simulations that take activation failures into account. In one of these, P_{ves1} is given a value of 1.0, and all variation in P_1 is thus given by activation failure (*filled squares*). This shift to “release failure decided by activation failure only” produces a downward shift of the curve to a value of ~ 0.4 (decided by the value of P_{ves2}). In the other simulation, P_{ves1} varied in our standard manner (0.1–0.9), but in every run, 50% of the trials were (stochastically) associated with an activation failure in response to the first stimulus (*filled*

circles). This simulation produced a curve with a ratio that is negatively correlated with P_1 . However, in absolute ratio values, it is rather close to the control. It is notable that at small P_1 values, activation failures actually make the ratio closer to unity.

As elaborated in Materials and Methods, the above simulations were performed with the constraint that at most one vesicle could be released per stimulus (Triller and Korn, 1982; Korn et al., 1994; Stevens and Wang, 1995; Dobrunz and Stevens, 1997; Liu et al., 1999; Matveev and Wang, 2000; Hanse and Gustafsson, 2001b). Because this one-vesicle hypothesis is debated (Auger and Marty, 2000; Wadiche and Jahr, 2001), we also modeled the P_{2rel}/P_{2fail} ratio when no constraints against multivesicular release were present. Figure 5*B* shows that the release dependence of P_2 is now quite different (*filled symbols*), with the P_{2rel}/P_{2fail} ratio being well below 1, and displays (for a given pool size) no relationship to P_1 .

Experimentally observed release dependence of P_2

It was reported previously that P_2 was, on average among the synapses, independent of whether or not release occurred in response to the first stimulus (Stevens and Wang, 1995; Isaac et al., 1996; Hjelmstad et al., 1997; Hanse and Gustafsson, 2001b). The present simulations show that this result is compatible with synapses having small preprimed pools. They also show that in our standard release model, P_2 should depend on release to the first stimulus when P_{ves1} is small or large, with this fact creating an overall relationship between the P_{2rel}/P_{2fail} ratio and P_1 . In Figure 6*A*, the P_{2rel}/P_{2fail} ratios obtained experimentally are plotted against the P_1 values for those synapses (*open circles*), demonstrating a significant ($p < 0.01$) overall relationship between the P_{2rel}/P_{2fail} ratio and P_1 . Compared with the simulated values (*filled circles*), the experimental ones show appreciably more scatter and a smaller slope (1.13 vs 1.80). However, this larger scatter would be expected, considering that these data were obtained from runs of ~ 100 trials per synapse. As exemplified from one such run in Figure 6*B* (*filled circles*), simulations using only 100 trials per run revealed a degree of scatter similar to that observed experimentally (*open circles*). The slope from a number of such runs (100) averaged 1.71 ± 0.62 (mean \pm SD). That is, the experimentally observed slope (1.13) is within 1 SD of the simulated distribution. The simulated P_{2rel}/P_{2fail} ratio, when averaged for all simulated values in Figure 6*B*, was 1.06 (i.e., showing the same overall release independence as observed experimentally).

Simulations using only 100 trials per run were also performed under conditions of variable calcium influx (Fig. 4*A*) and multivesicular release (Fig. 5*B*). In the former case, the slope of the P_{2rel}/P_{2fail} ratio against P_1 averaged 3.13 ± 1.32 , and the mean P_{2rel}/P_{2fail} ratio was 1.63 ± 0.17 . In the case of multivesicular release, the slope of the P_{2rel}/P_{2fail} ratio against P_1 averaged 0.43 ± 0.44 , and the mean P_{2rel}/P_{2fail} ratio was 0.75 ± 0.07 . Thus, in both cases, the experimentally observed mean ratio of 0.97 ($n = 33$) falls outside 2 SD of these distributions. Conversely, the experimentally observed slope of 1.13 is within 2 SD of both slope distributions.

DISCUSSION

It is essential to know whether the failure of a synapse to release is attributable to the stochastic nature of the release process itself or to failure to activate the axon/synaptic bouton. A test for activation failure has been to examine the dependence of release probability on the release to a preceding stimulus, with the observation of such dependence signifying activation failure.

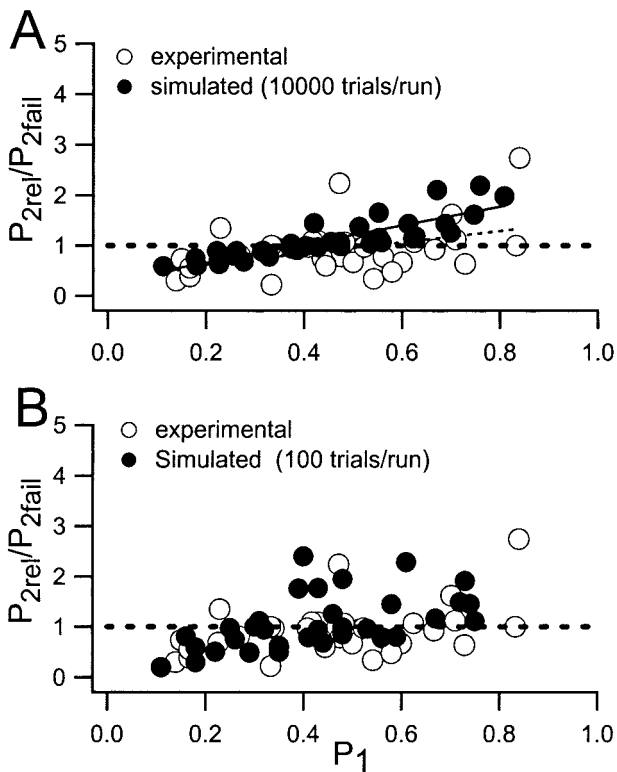


Figure 6. Comparison between experimentally observed and simulated release dependence during paired-pulse activation. *A*, The P_{2rel}/P_{2fail} ratio is plotted against P_1 for experimental (*open circles*) and simulated (*filled circles*) data. Because the experimental data do not include synapses exhibiting the smallest and largest P_1 values, simulations were performed over a slightly smaller range of P_{ves1} values than used in the other simulations. The exclusion of those synapses depended on the fact that under conditions of very small and large P_1 values and with a limited number of trials, the number of release successes and failures, respectively, becomes too small to produce reliable results. P_{ves1} was varied between 0.2 and 0.8 (in steps of 0.1), the average preprimed pool was varied between 0.6 and 1.8 (in steps of 0.3), and P_{ves2} was kept constant at 0.4 (10,000 trials per measurement). The *dashed line* indicates release independence (i.e., a P_{2rel}/P_{2fail} ratio equal to 1). A linear regression line is shown both for the experimental (*dotted line*; $y = 0.39 + 1.13x$; $n = 33$; $r = 0.43$; $t_{n-2} = 2.65$; $p < 0.01$) and simulated (*solid line*; $y = 0.29 + 1.85x$; $n = 35$) data. *B*, Same as *A*, but the simulated data were generated with a more experimentally realistic number of trials (100).

However, because of vesicle depletion produced by a preceding release, release dependence would also be expected to appear in the absence of activation failure (Kraushaar and Jonas, 2000). The present simulations demonstrate that release dependence does not need to occur even if the vesicle pool is very small. The previously observed overall absence of release dependence at hippocampal glutamatergic synapses (Stevens and Wang, 1995; Isaac et al., 1996; Hjelmstad et al., 1997; Hanse and Gustafsson, 2001b) is thus compatible with a small pool of immediately releasable vesicles (Hanse and Gustafsson, 2001c). However, the present simulations also demonstrate that for the individual synapse, release dependence is not necessarily an indicator of activation failure. Moreover, the simulations indicate that an examination of the release dependence in principle can be useful in discriminating between various models for release site functioning.

When release dependence of P_2 was experimentally studied in the neonatal rat, there was no such dependence when averaged over all the examined synapses (Hanse and Gustafsson, 2001b).

Conversely, the preprimed pool of vesicles was estimated to average only approximately one vesicle (Hanse and Gustafsson, 2001c). If such a small pool would be constant between trials, P_2 would be very release dependent, being zero whenever release had occurred in response to the first stimulus. However, in agreement with our analysis of experimental data (Hanse and Gustafsson, 2001d), the present simulations were performed using a binomially distributed trial-to-trial variation of the preprimed pool. Under these conditions, our simulations indicated little release dependence of P_2 over a range of P_1 values. This is because in a binomially distributed pool, release in response to the first stimulus will preferentially occur in those trials in which more vesicles are primed, and vice versa. The number of primed vesicles remaining for the second stimulus can then be equal independently of whether or not release occurred in response to the first stimulus.

Nevertheless, the simulations showed that a small pool leads to a release dependence when P_1 is either small or large, but in opposite directions. For a population of synapses that covers the entire range of P_1 values, these opposing effects of smaller and larger P_1 values could then approximately cancel each other out, leading to an overall release independence of P_2 . Nevertheless, these simulations suggest that an experimentally observed release dependence of P_2 for an individual synapse does not by itself implicate activation failure. A larger value of P_1 was associated with a much larger P_2 when release occurred in response to the first stimulus than when it did not. Our simulations indicated that the P_{ves1} variation and the trial-to-trial variation in the preprimed pool explain this dependence on P_1 . When P_1 is large, and thus P_{ves1} is large, it is very probable that release occurs whenever the preprimed pool is greater than zero. This implies that it is very probable that release failure is associated with an absence of preprimed vesicles and thus also with release failure in response to the second stimulus. Conversely, a small P_1 is associated with a small P_{ves1} . Release failure then depends more on the small P_{ves1} than on the size of the preprimed pool, and vesicle depletion will more critically affect P_2 .

The simulations discussed above were based on the single-vesicle constraint (see Materials and Methods) and on the assumption of a constant trial-to-trial P_{ves1} . When relaxing these constraints, the simulations demonstrated a substantial release dependence, different in character from that discussed above. Thus, when allowing multivesicular release, there was an overall release dependence such that the average P_{2rel}/P_{2fail} ratio was substantially below unity (0.75), and there was little dependence on P_1 . Conversely, the simulations using a variable (trial-to-trial) calcium influx produced an overall release dependence in the other direction.

In agreement with experimental data (Stevens and Wang, 1995; Isaac et al., 1996; Hjelmstad et al., 1997; Hanse and Gustafsson, 2001b), the simulations made using our standard release model displayed little release dependence when averaged over the entire range of P_1 values. This is in contrast to the simulations in which activation failure or multivesicular release was allowed or in which release probability was influenced by trial-to-trial fluctuations in Ca^{2+} influx. The experimental data thus suggest that such factors do not contribute to any large extent to the observed release of these synapses.

Both the experimental data and the simulated data displayed P_{2rel}/P_{2fail} ratios that varied positively with P_1 . The experimentally observed slope was also well within the simulated distribution of slopes. Simulations using a large pool (3.6 on average)

indicated that such pools would not introduce any release dependence except at extreme values of P_1 . As noted above, a preprimed pool that is constant for every trial also would not produce a ratio that varies with P_1 . Moreover, release may be such that at most one vesicle is ever in a releasable position (Scheuss and Neher, 2001). However, P_2 would not produce a ratio that varies with the value of P_1 in this case either, because a release in response to the second stimulus would always be independent of that to the first stimulus. It would thus appear that the experimental data are not consistent with such release models.

Another feature of our release model is the assumption of equal P_{ves} values for all vesicles within a release site. It has been suggested, for example, as a possible explanation for strong initial depression of release (Matveev and Wang, 2000), that one of the vesicles may have a much greater P_{ves1} than the others. The present simulations indicated that even if this P_{ves} heterogeneity were substantial, such vesicle heterogeneity would not be easily detected in experimental data. However, the range of P_1 values obtained with such heterogeneity appears to become more restricted.

Chen et al. (1996) reported $P_{2\text{rel}}/P_{2\text{fail}}$ ratios of >1 and that paired-pulse facilitation was observed only when the first stimulus produced release. This was explained by assuming a large trial-to-trial variation in Ca^{2+} influx and that only Ca^{2+} influx sufficient to produce release could produce residual Ca^{2+} levels great enough to initiate facilitation. In the present simulations, a trial-to-trial variation in Ca^{2+} influx indeed shifted $P_{2\text{rel}}/P_{2\text{fail}}$ ratios to >1 . Nevertheless, our analysis also suggests an alternative explanation. In the study by Chen et al. (1996), $P_{2\text{fail}}$ was similar to P_1 , implying that “facilitation” in fact also occurred when there was failure to the first stimulus. This is because failure trials should be biased toward smaller preprimed pools. Therefore, $P_{2\text{fail}}$ should be smaller than P_1 unless P_{ves2} is higher than P_{ves1} . A $P_{2\text{rel}}/P_{2\text{fail}}$ ratio of >1 could also be a consequence of the trial-to-trial variation in the preprimed pool at a larger P_1 , as discussed above. Dobrunz et al. (1997) also reported $P_{2\text{rel}}/P_{2\text{fail}}$ ratios of >1 . In contrast to the present simulations and experimental data, these ratios of >1 were preferentially found in low P_r synapses. A trial-to-trial fluctuation in Ca^{2+} influx was also favored as an explanation for these results. However, this explanation would seem to rely on differences in P_{ves1} among the synapses as underlying the heterogeneity in P_1 , rather than differences in the vesicle pool size, as proposed by Dobrunz and Stevens (1997). For example, with only a small vesicle pool underlying a low P_1 value, the effect of depletion on P_2 would likely outweigh the effect of higher residual Ca^{2+} .

In conclusion, the present simulations indicate that the release-dependence test is not useful as a test for activation failure. First, a large number of trials seem to be necessary to obtain a value for release dependence of P_2 for an individual synapse that by chance is not overlapping with that produced by some degree of activation failure. Second, release dependence can be produced by a number of other factors. Nevertheless, as indicated by the present analysis, this test may be quite useful for other purposes when data from a number of individually examined synapses are combined. Previous work has indicated that a release model based on a small, binomially distributed (trial-to-trial) pool of immediately releasable and independently acting vesicles can explain release

probability (Hanse and Gustafsson, 2001c) and paired-pulse (Hanse and Gustafsson, 2001d) behavior of neonatal CA3–CA1 synapses. Without invoking additional complexity in this model, the present simulations show that the model also accounts for release dependence within a paired stimulus. It would thus appear that a rather low level of complexity is needed to explain much of the release behavior of the neonatal CA1 synapses.

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